

Connect

Title

SI Units – Geometry equations
Calculating volume of 3D shapes



Today's Targets

Identify equations for geometry - Volume
Select which equations from a given list would be used for a
specified engineering product or project

Connect:

V = 9 Volts	R = 2 Ohm	I = 4.5A
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Breathing
ventilator

Biomedical

Avoid lifting



Monday, 20 July 2026

Today's title: SI Units – Geometry equations - volume



Prior Learning

CA1 Engineering disciplines



Today's Targets

Identify equations for calculating volume

Select which equations from a given list

Today's Learning:

You must be able to:

Define what volume is.

Calculate the volume of cubes.

Calculate the area of cylinders.

Calculate the area of pyramids.

You may also be able to:

Calculate the volume of compound shapes.



Future Learning

CA3

Reading engineering drawings



Literacy

International System (SI) Equation
Geometry Volume

NCFE Level 1 / 2 Technical Award in Engineering

CA2 - Applied science and mathematics in engineering

2.2.1 SI Units of Measurement - equations

Geometry - Volume

Lesson 8

Monday, 20 July 2026

Today's title: 2.2: Engineering equations - area



Your target

- Identify equations for geometry
- Select which equations from a given list which would be used for a specified engineering product or project



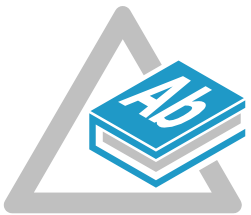
Steps to success

- Apply data to a selected equation to complete a calculation for a specified engineering product or project



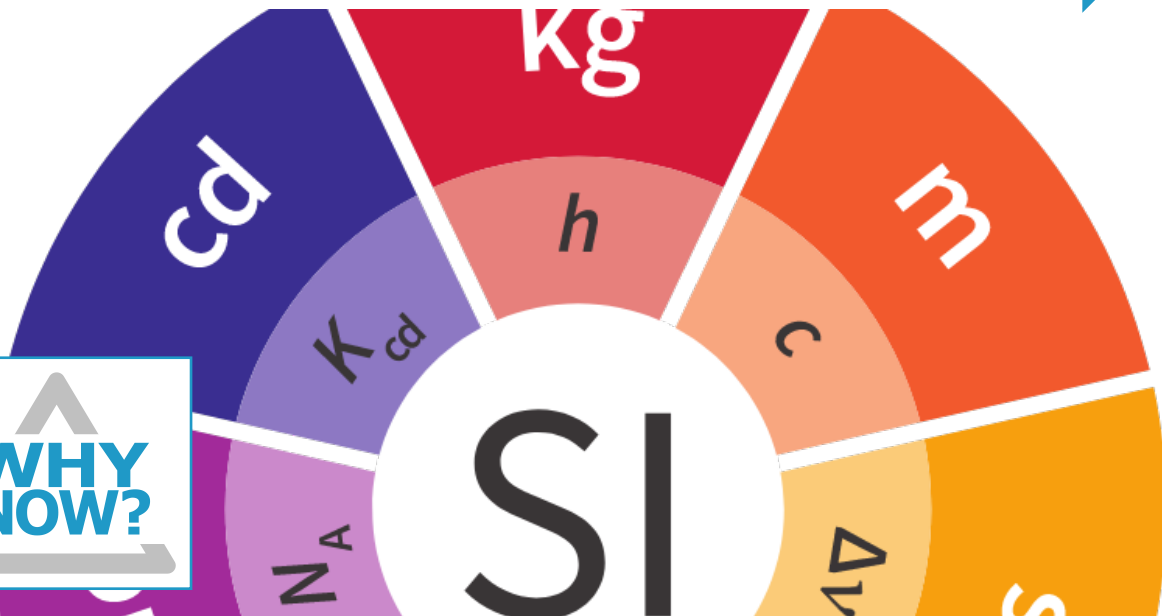
Path to progress

- Justify the selection of the equation
- Assess whether the correct calculation has been used



Key terms

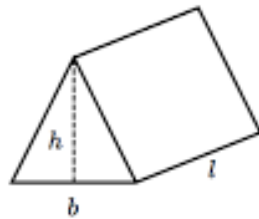
International System (SI)
Equation
Geometry
Volume



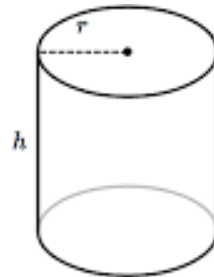
Activate

What is volume?

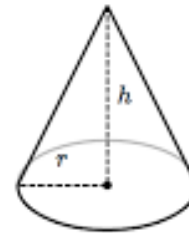
Volume is the measure of the amount of 3-dimensional space an object takes up. It is also known as capacity.



$$V = \frac{b \cdot h \cdot l}{2}$$



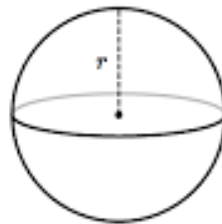
$$V = \pi r^2 h$$



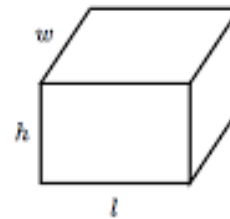
$$V = \frac{\pi r^2 h}{3}$$



$$V = \frac{l \cdot w \cdot h}{3}$$



$$V = \frac{4}{3} \pi r^3$$



$$V = l \cdot w \cdot h$$

Activate

3D Geometry

Volume of a cube length of side³

Volume of a pyramid $(1/3) \times (\text{base area}) \times \text{height of pyramid}$

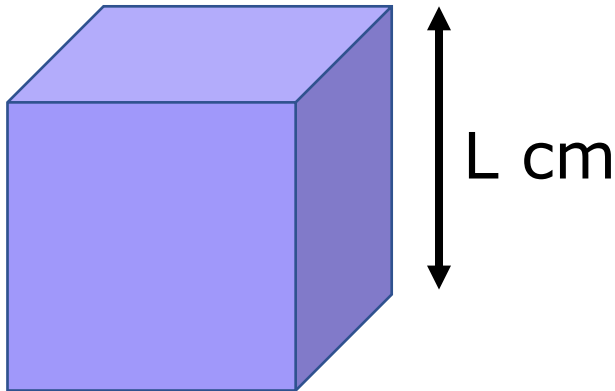
Volume of a cylinder = $\pi \times \text{radius}^2 \times \text{height of cylinder}$

Activate

Volume of a cube

A cube is a three dimensional solid with six square faces of the same length.

To find the volume of a cube, we need to know the **length of any one edge of the cube**. The length is to be multiplied by itself three times to get the volume. The volume is measured in cubic units.



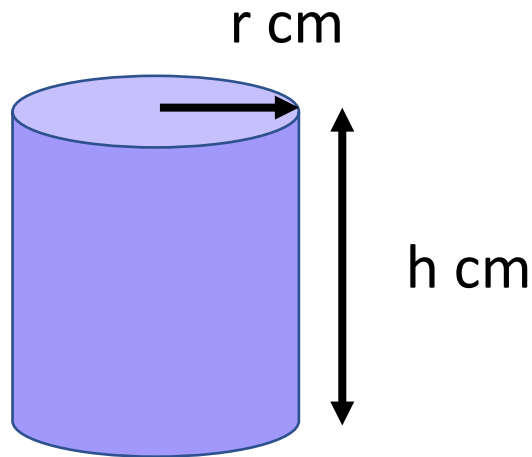
$$V = L \times L \times L = L^3 \text{ cm}^3$$

Activate

Volume of a cylinder

A cylinder is made up of a rolled surface with a circular top and a circular base.

To find the volume of a cylinder, we need to know the **length of its radius and its height**.



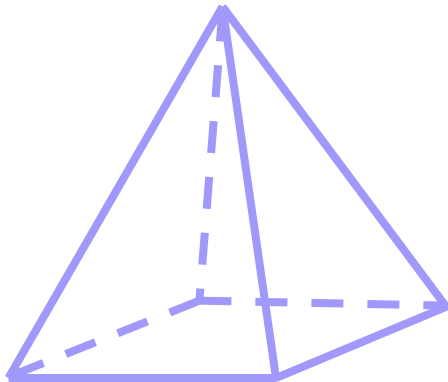
$$V = \pi r^2 h$$

Activate

Volume of a pyramid

A pyramid is a three-dimensional figure. **It has a flat polygon base.** All the other faces are triangles and are called lateral faces. The number of lateral faces equals the number of sides on its base.

The base area of a pyramid depends on its shape.

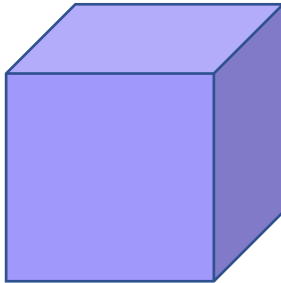


$$\text{Volume} = \frac{1}{3} \times \text{base area} \times \text{height}$$

Activate

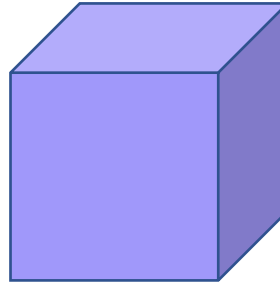
Volume calculations 1. Complete the cube volume calculations below and display the answers on your mini-whiteboards.

1. $V =$



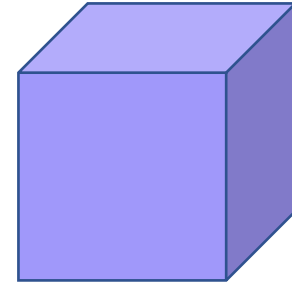
13cm

2. $V =$



25cm

3. $V =$



41cm

- volume – cube
- volume – pyramid
- volume – cylinder

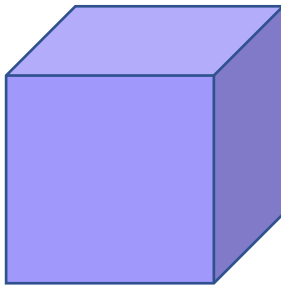
length of side³
 $(1/3) \times (\text{base area}) \times \text{height of pyramid}$
 $\pi \times \text{radius}^2 \times \text{height of cylinder}$



Activate

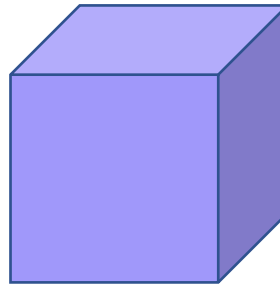
Volume calculations 1. - *answers*

$$1. V = 2197\text{cm}^3$$



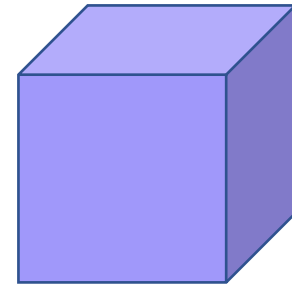
13cm

$$2. V = 15,625\text{cm}^3$$



25cm

$$3. V = 68,921\text{cm}^3$$



41cm

- volume – cube
- volume – pyramid
- volume – cylinder

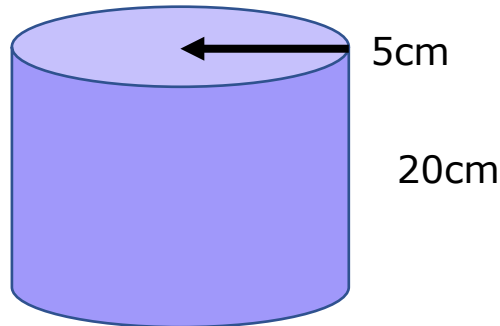
length of side³
(1/3) x (base area) x height of pyramid
 $\pi \times \text{radius}^2 \times \text{height of cylinder}$



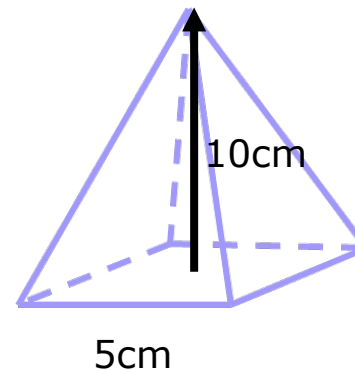
Activate

Volume calculations 2. Complete the shape volume calculations below and display the answers on your mini-whiteboards.

1. $V =$



2. $V =$



- volume – cube
- volume – pyramid
- volume – cylinder

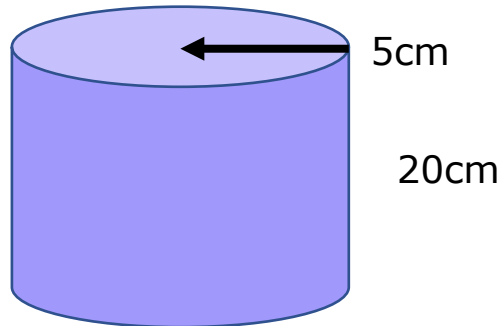
length of side³
 $(1/3) \times (\text{base area}) \times \text{height of pyramid}$
 $\pi \times \text{radius}^2 \times \text{height of cylinder}$



Activate

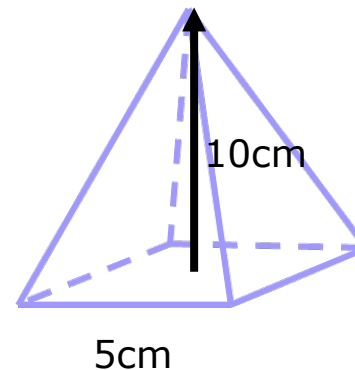
Volume calculations 2. Complete the shape volume calculations below and display the answers on your mini-whiteboards.

1. $V = 1570\text{cm}^3$



$$V = \pi r^2 h = \pi \times 5 \times 5 \times 20 = 1570.79633$$

2. $V = 83.3\text{cm}^3$



$$V = \frac{lwh}{3} = \frac{V = 5 \times 5 \times 10}{3} = 83.33333$$

- volume – cube
- volume – pyramid
- volume – cylinder

length of side³
(1/3) x (base area) x height of pyramid
 $\pi \times \text{radius}^2 \times \text{height of cylinder}$



Demonstrate

1. Find the **volume** of the cuboids:

- a. $l = 10$, $b = 20$, $h = 5$. $V =$ _____
 b. $l = 18$, $b = 6$, $h = 20$. $V =$ _____
 c. $l = 42$, $b = 52$, $h = 22$. $V =$ _____

2. Calculate the **volume** of figure 7.

Show your working. [3 marks]

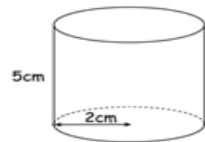


Figure 7

3. Calculate the **volume** of figure 8.

Show your working. [3 marks]

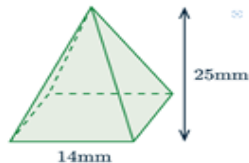


Figure 8

4. Figure 9 shows an aluminium component. Calculate the total **volume** of the aluminium component with the cylindrical hole cut through it. Mass of the product = 247.37g
 Value of $n = 3.14$

Show your working. [5 marks]

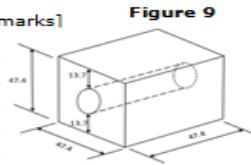


Figure 9

5. An engineer is fabricating a new kitchen extraction hood as shown in Figure 10. It is a combination of a cuboid shape with a pyramid top. Calculate the total **volume** of the shape.

All dimensions are in cm.

Show your working. [4 marks]

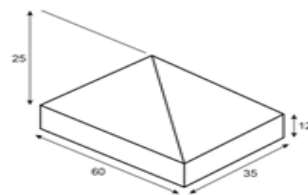


Figure 10

25
minutes!



Name two SI units of measurement commonly used in civil engineering. _____

[Volume of 3D Shapes Worksheets | Questions and Revision | MME \(mmerevise.co.uk\)](http://mmerevise.co.uk)

- volume – cube
- volume – pyramid
- volume – cylinder

length of side³
 $(1/3) \times (\text{base area}) \times \text{height of pyramid}$
 $\pi \times \text{radius}^2 \times \text{height of cylinder}$

Consolidate

Can you now?

- Define what volume is?
- Calculate the volume of cubes?
- Calculate the area of cylinders?
- Calculate the area of pyramids?
- Calculate the volume of compound shapes?

Next lesson...

We will learn about...

...how to look at reading and interpreting engineering drawings accurately; the contents of a title block, the two systems of measurement and the use of scale in an engineering drawing
